

Example 4: Color Genetics Probability

black bull that carries red and dun ($E^D/e B/b$) x dun cow that carries red ($E^D/e b/b$)

This bull produces 4 different kinds of sperm: $E^D B$, $E^D b$, $e B$, $e b$
(each kind of E with each kind of B)

This cow produces 2 different kinds of eggs: $E^D b$, $e b$
(each kind of E with b)

$4 \times 2 = 8$, so we need eight boxes: 4 columns with 2 rows

	$E^D B$	$E^D b$	$e B$	$e b$
$E^D b$	$E^D/E^D B/b$ black	$E^D/E^D b/b$ dun	$E^D/e B/b$ black	$E^D/e b/b$ dun
$e b$	$E^D/e B/b$ black	$E^D/e b/b$ dun	$e/e B/b$ red	$e/e b/b$ red*

*See #5 of "Basic Concepts of Dexter Color Genetics"

You can see from this diagram that 3/8 of the calves are black, 3/8 are dun, and 2/8 are red. Remember that a Dexter that contains two red genes and two dun genes is red in appearance.

Example 5: Color Genetics Probability

black bull that carries red and dun ($E^D/e B/b$) x black cow that carries red and dun ($E^D/e B/b$)

This bull produces 4 different kinds of sperm: $E^D B$, $E^D b$, $e B$, $e b$
(each kind of E with each kind of B)

This cow produces 4 different kinds of eggs: $E^D B$, $E^D b$, $e B$, $e b$
(each kind of E with each kind of B)

$4 \times 4 = 16$, so we need sixteen boxes: 4 columns with 4 rows

	$E^D B$	$E^D b$	$e B$	$e b$
$E^D B$	$E^D/E^D B/B$ black	$E^D/E^D B/b$ black	$E^D/e B/B$ black	$E^D/e B/b$ black
$E^D b$	$E^D/E^D B/b$ black	$E^D/E^D b/b$ dun	$E^D/e B/b$ black	$E^D/e b/b$ dun
$e B$	$E^D/e B/B$ black	$E^D/e B/b$ black	$e/e B/B$ red	$e/e B/b$ red
$e b$	$E^D/e B/b$ black	$E^D/e b/b$ dun	$e/e B/b$ red	$e/e b/b$ red*

*See #5 of "Basic Concepts of Dexter Color Genetics"

You can see from this diagram that 9/16 of the calves are black, 4/16 are red, and 3/16 are dun. Remember that a Dexter that contains two red genes and two dun genes is red in appearance.